

The Unique 'Message' of Radiopolarimetry

at Low Frequencies

with the WSRT

Radio emission polarization \longrightarrow magnetic fields

Information on (components of) magnetic field from

Equipartition argument \longrightarrow B_{tot}

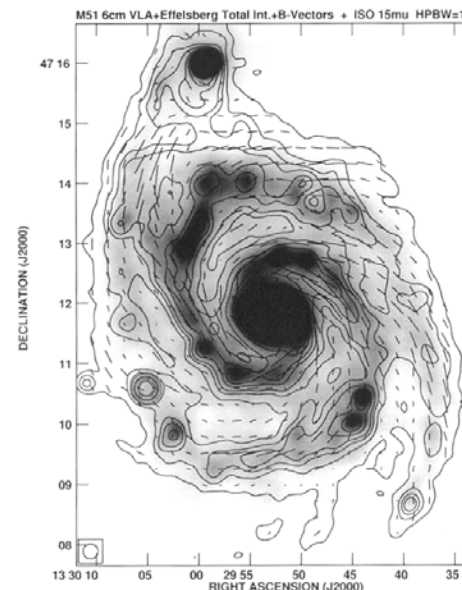
Faraday rotation \longrightarrow B_{\parallel} Faraday tomography

(synchrotron) intensity \longrightarrow B_{\perp}

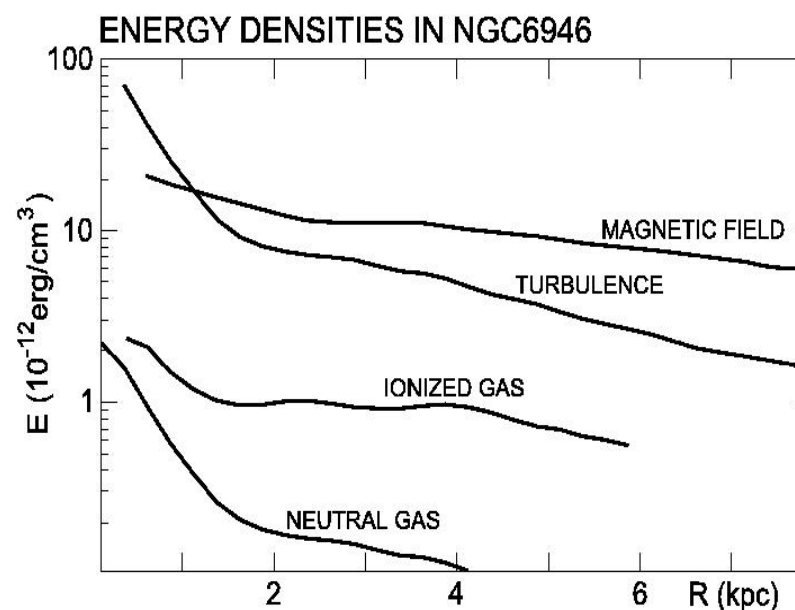
The importance of magnetic fields

- link with galactic (gas) dynamics

M51
 $I_{\text{tot}} \lambda = 6 \text{ cm}$
B-vectors
 15μ



- magnetic pressure often comparable to gas pressure
- coupling with many components of ISM



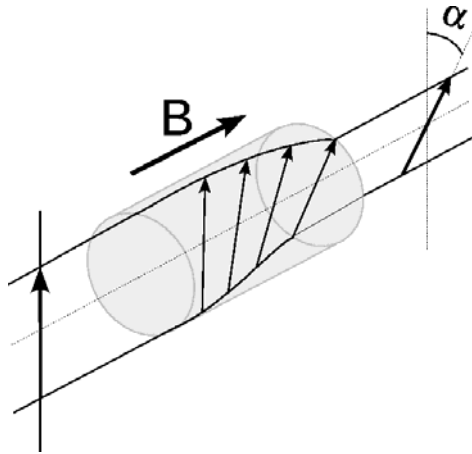
The importance of magnetic fields

- link with galactic (gas) dynamics e.g. M51
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Some questions

- topology / strength of large-scale field (reversals ?!)
- small-scale vs. large-scale field
- role of magnetic field in turbulence of ISM
- origin and amplification (seed fields – dynamo ?)

Faraday tomography



- disentangling (polarized) emission and Faraday rotation
- undoing line-of-sight (depth-) depolarization

Faraday depth $\mathcal{R}(d) = 0.81 \int B_{\parallel}(x) n_e(x) dx$ [$d \rightarrow 0$]



polarized emission originating at distance d has its plane of polarization rotated by an angle $\theta(d) = \mathcal{R}(d) \lambda^2$

Observed polarization vector $P_{\text{obs}}(\lambda)$ is vector sum (integral) of all infinitesimal polarization vectors $P_{\text{em}}(d, \lambda)$ each rotated by their respective $\theta(d)$

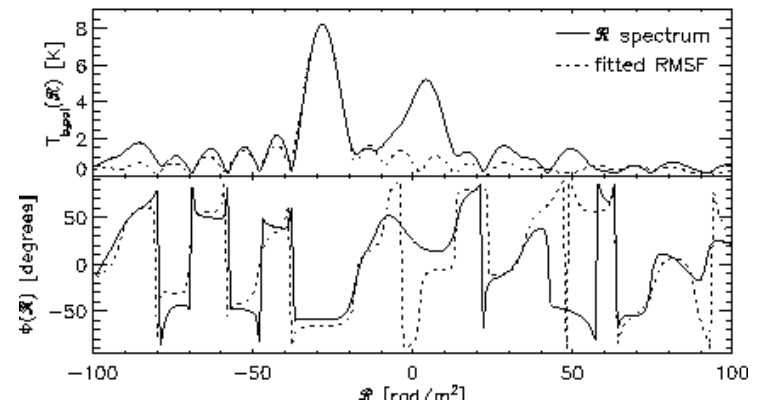
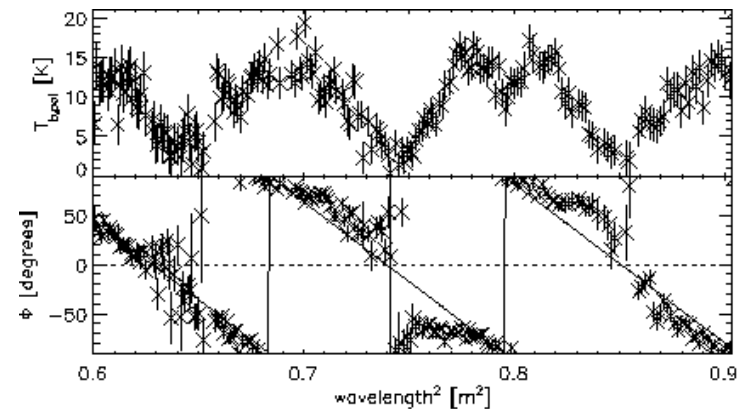
With $P_{\text{obs}}(\lambda)$ available over wide, well-sampled λ -interval $P_{\text{em}}(\mathcal{R})$ (spectrum of Faraday depth) can be recovered

$$P_{\text{em}}(\mathcal{R}) \approx \text{FT} \{P_{\text{obs}}(\lambda^2)\}$$

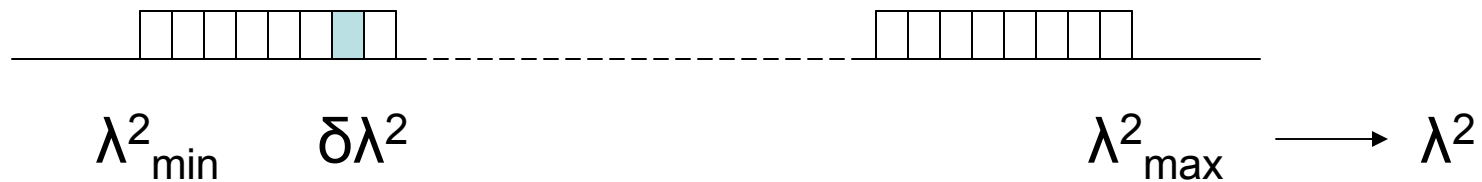
Faraday-depth spectrum

N.B.

- $\mathcal{R} \neq \text{RM}$ in general
- $\mathcal{R} \xrightarrow{?} n_e(d) \ \& \ B_{\parallel}(d)$



Some 'facts-of-life' in Faraday tomography



- Resolution in \mathcal{R} $\Delta\mathcal{R}_{\min} = 3.8 / [\lambda^2_{\max} - \lambda^2_{\min}] \text{ rad/m}^2$
- Bias from missing $\lambda = 0$ $\Delta\mathcal{R}_{\max} \sim \pi / \lambda^2_{\min}$
- 'Field of view' $\mathcal{R}_{\max} \sim 1.9 / \delta\lambda^2$ (λ in meters)

→ **low frequency, wide-band, high-resolution polarimetry**

$$\Delta\mathcal{R}_{\min} \ll \text{ for } \lambda^2_{\max} [1 - \lambda^2_{\min} / \lambda^2_{\max}] \gg$$

$$\text{ or } \lambda^2_{\max} \gg \text{ and } \lambda^2_{\min} / \lambda^2_{\max} \ll$$

$$\mathcal{R}_{\max} \gg \text{ for } \delta\lambda^2 \ll$$

Low frequency, wide-band, high-resolution polarimetry

With the WSRT

- well-behaved instrumental poln.
- excellent wide-field mapping

Some examples

1. $\lambda \sim 2$ m 'Ring'

$$\Delta \mathcal{R}_{\min} \sim 3 \text{ rad/m}^2$$

$\lambda \sim 2$ -m movie

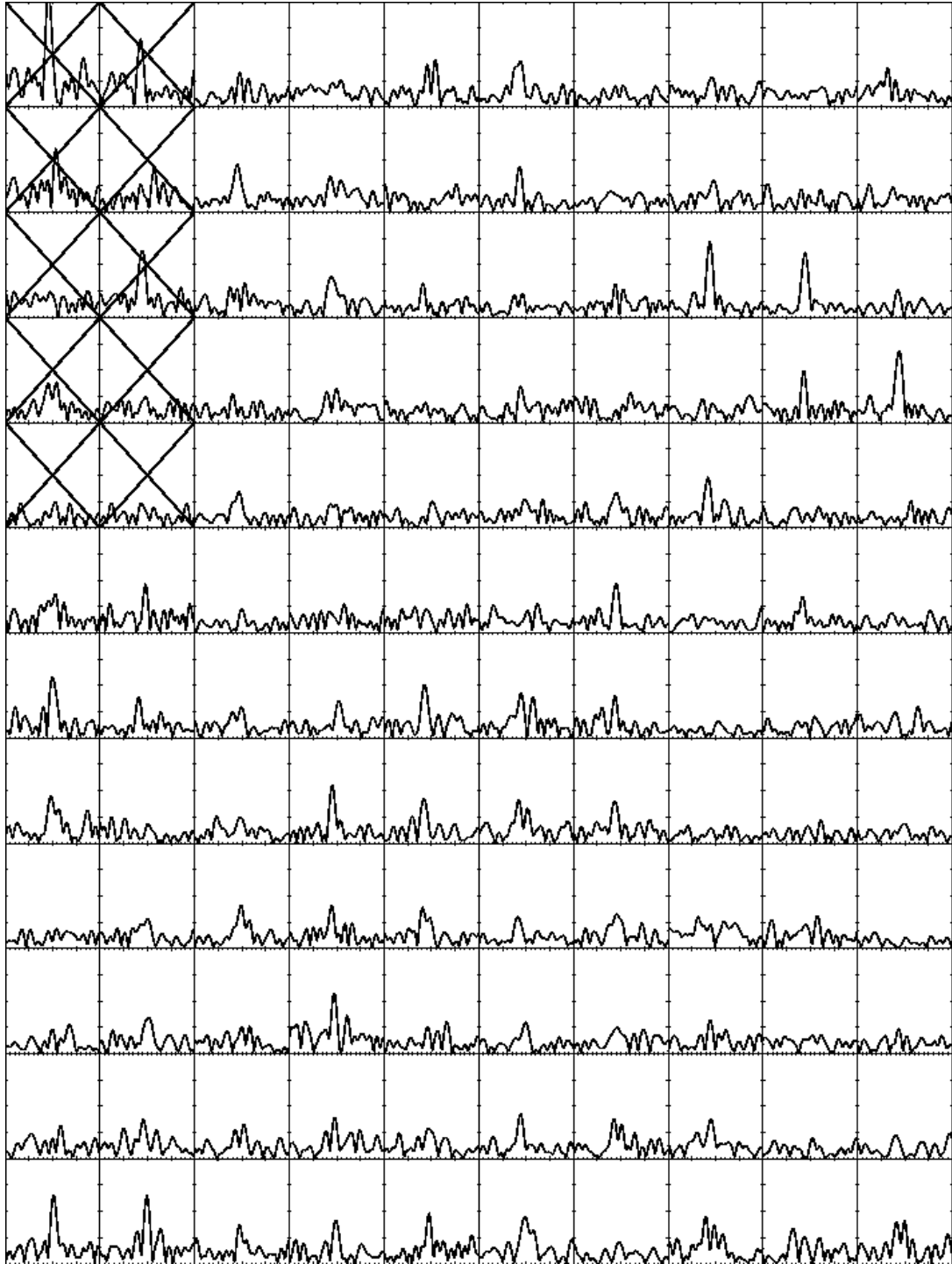
Low frequency, wide-band, high-resolution polarimetry

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Some examples

1. $\lambda \sim 2$ m 'Ring' $\Delta\mathcal{R}_{\min} \sim 3$ rad/m²
2. $\lambda \sim 1$ m 4 mosaics $\Delta\mathcal{R}_{\min} \sim 12$ rad/m²
in 2nd gal. quadrant



$P(\mathcal{R})$ -spectra

Cepheus

\mathcal{R} : [-100, 100]

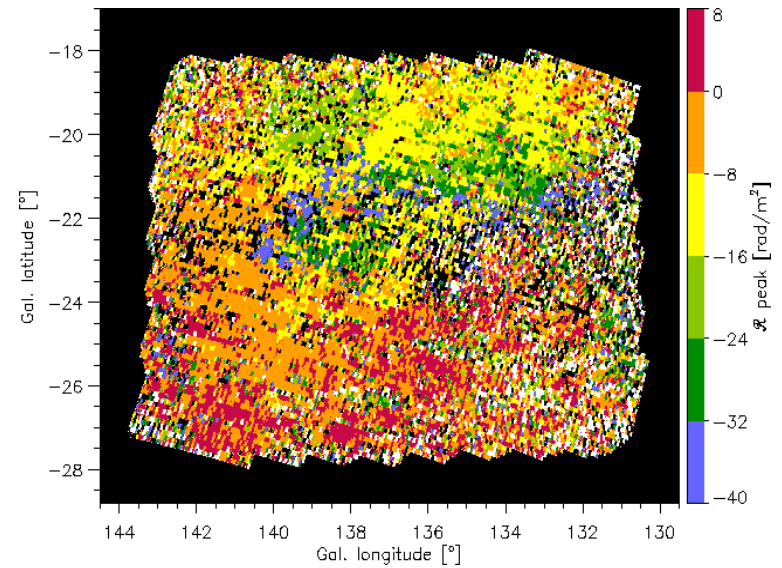
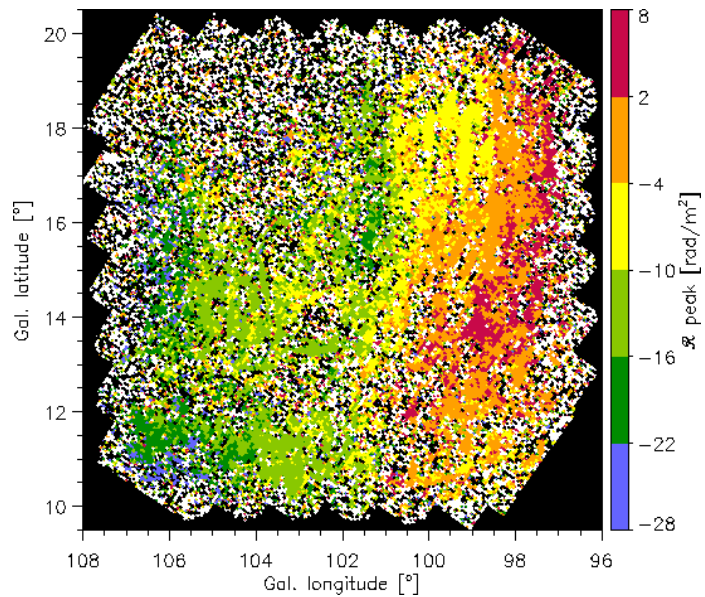
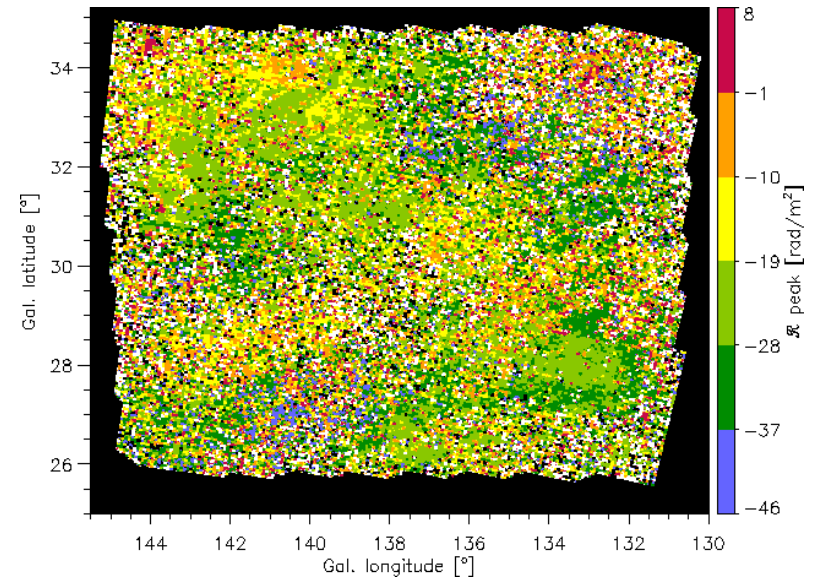
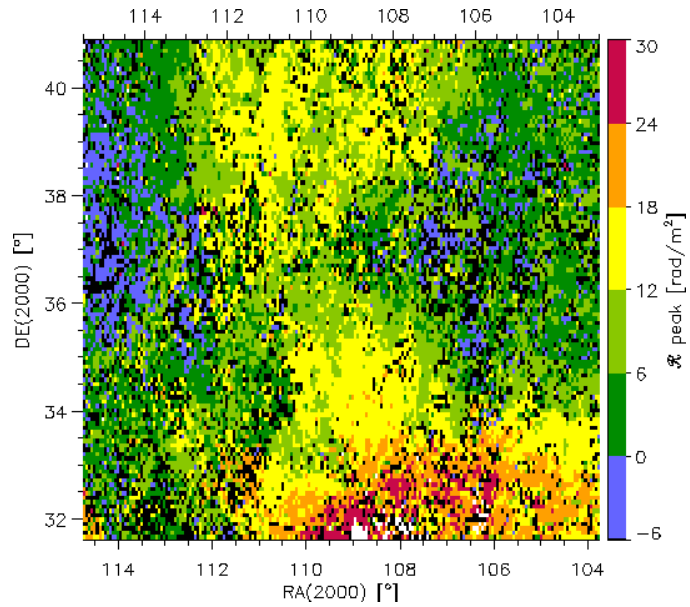
$P(\mathcal{R})$: 0 – 4 K

—50

movie of
Gemini mosaic

$l = 185, b = 20$

Summary of movies: $\mathcal{R}(P_{\max})$ as function of position



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Main conclusions

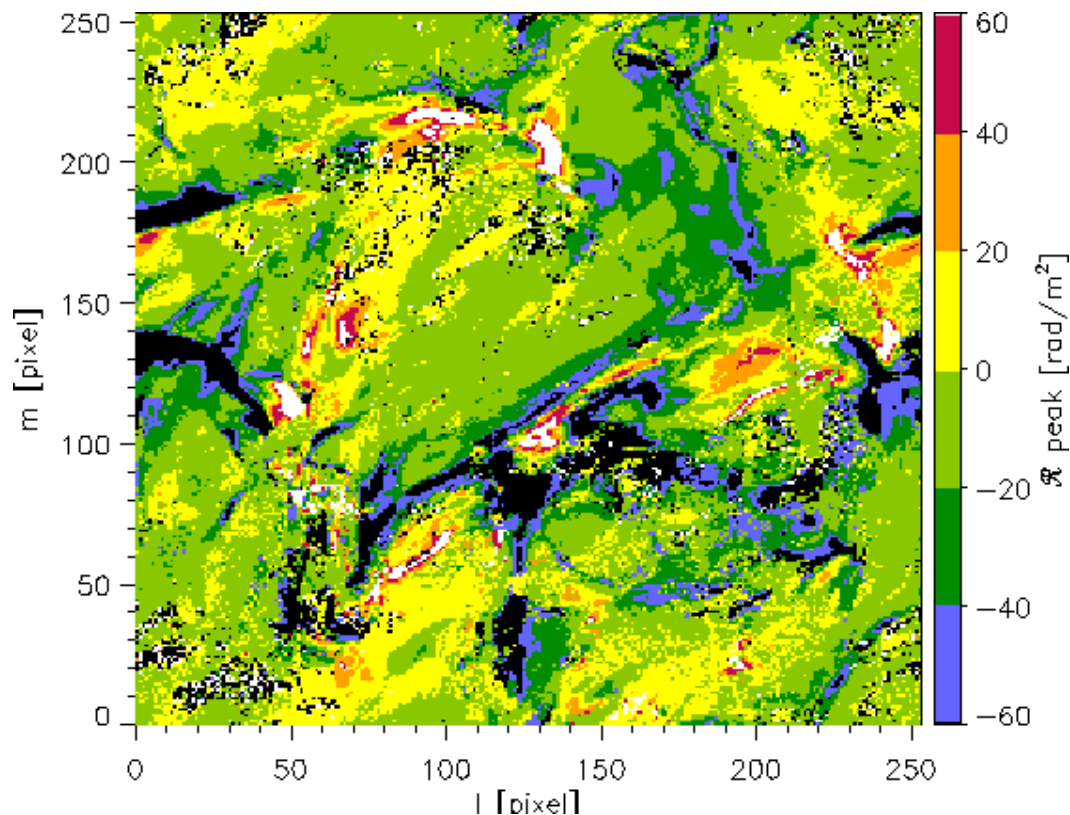
- abundant structure in $P(\mathcal{R})$ spectra \longrightarrow ISM
- $P(\mathcal{R})$ spectra extragalactic point sources and diffuse galactic emission are different \longrightarrow large-scale B-field

Structure of ISM

remember: $\mathcal{R} \xrightarrow{?} n_e(d) \text{ \& } B_{\parallel}(d)$

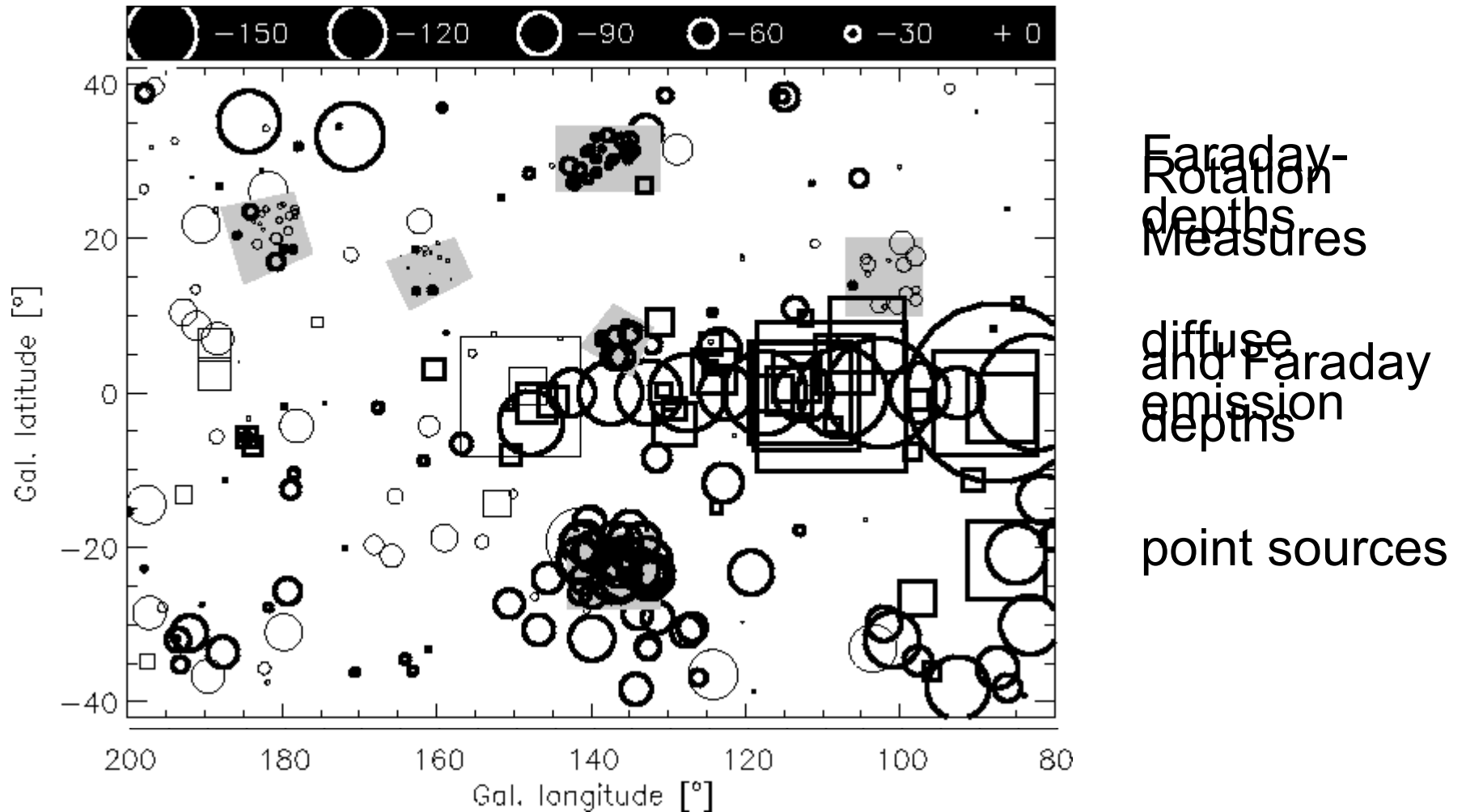
Use 3-d MHD-simulations
to understand $P(\mathcal{R})$ spectra

3-d information can
then be used to
study the build-up
of Faraday-depth
in (simulated) ISM



← 'observed' MHD cube

Large-scale magnetic-field structure of the Galaxy
in 2nd galactic quadrant (combining 4 mosaics with
data from literature, like BS)



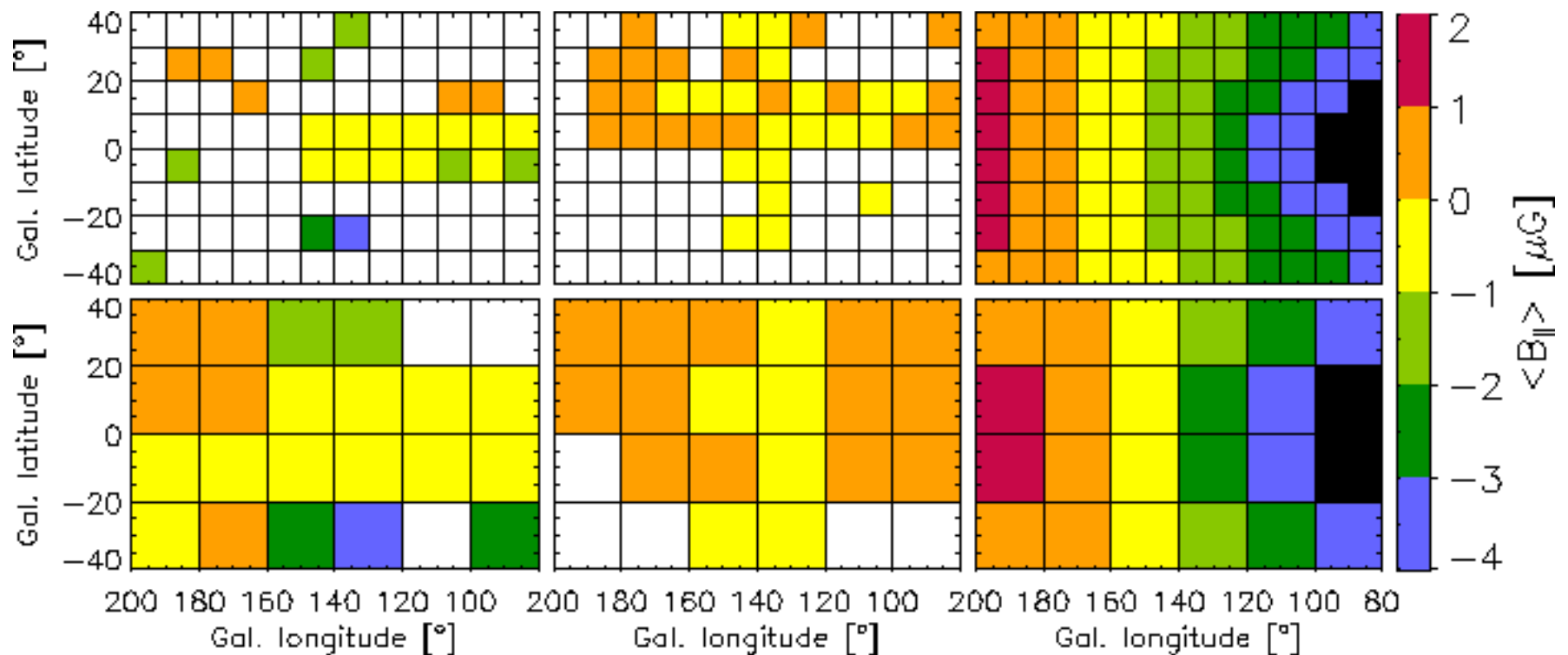
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$$\langle B_{\parallel} \rangle = \mathcal{R}(P_{\max}) / [0.81 \text{ DM}] \quad \text{DM from CL \& WHAM}$$

point sources

diffuse emission

model



Proposal for systematic low-frequency polarization survey of 2nd galactic quadrant

Previous 4 mosaics at $\lambda \sim 1\text{m}$ of $7*7$ pointings took about 30 half days

New survey of ~ 100 mosaics of $3*3$ pointings ($15 * 7$) at \sim half the integration time requires 40 – 60 half days

Optimum specs to be derived from the previous mosaic data

Not centered on 12h & 12-hr runs can be split

